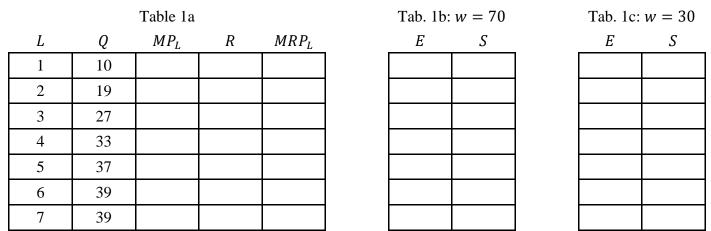
## Problem set 2, due Tuesday 10/1/13

**1.** I own a gremlin factory. The market for gremlins is perfectly competitive, and the equilibrium price of a gremlin is \$10. The Q column in Table 1a shows the number of gremlins I can produce if I hire L workers, for values of L from 1 to 7.

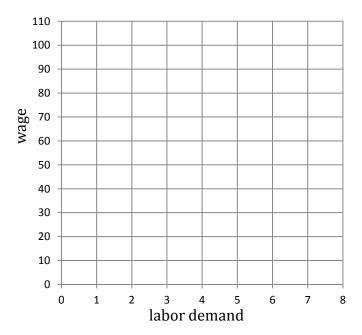
a) Fill in the  $MP_L$  column with the marginal product of each worker, the *R* column with the total revenue given *L* workers, and the  $MRP_L$  column with the *L*<sup>th</sup> worker's marginal revenue product.



**b**) In table 1b, suppose that the going daily wage is \$70. Fill in the *E* column with the total expense of hiring *L* workers, and the *S* column with the surplus that I receive if I hire *L* workers. Supposing that my use of other inputs (e.g. capital) is fixed in the short run, and I want to maximize profit, how many workers should I hire?

c) In table 1c, repeat the exercise from part (b), but with the supposing that the wage is \$30. How many workers should I hire in this case? \_\_\_\_\_

**d**) Fill in the blank graph to the right, drawing my labor demand 'curve', which is actually not curved but rather has more of a staircase shape.



2. In the town of Blacksburg, there are 10 yogurt factories, which operate in competitive markets. Each yogurt factory has the same short-run production function  $Q = 8L - \frac{1}{12}L^2$ , where Q is the quantity of yogurt it can produce (in gallons per hour), and L is the number of people it hires in a given hour. a) For each yogurt factory, the marginal product of labor is given by the function  $MP_L =$ \_\_\_\_\_\_ b) If the price of yogurt is \$3, each factory's marginal revenue product of labor function is  $MRP_L =$ \_\_\_\_\_\_

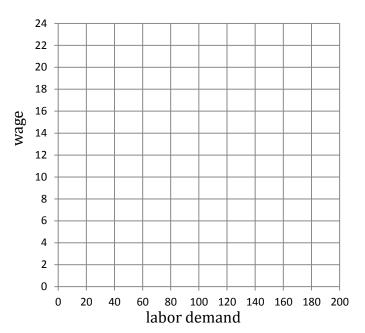
c) Let w be the hourly wage. Each factory's labor demand function is  $D_{L_i} = \_\_\__w$ .

**d**) The demand for labor function for the 10 factories combines is  $D_L = \_\_\_____w$ .

e) Suppose that the supply of yogurt factory labor in Blacksburg is given by the function  $S_L = 10w$ . The market equilibrium wage is \_\_\_\_\_\_, and the number of workers employed per hour is \_\_\_\_\_\_. The yogurt factories (collectively) experience a surplus of \_\_\_\_\_\_ from this labor market, and the workers (collectively) experience a surplus of \_\_\_\_\_\_.

f) If a minimum wage of \$18 is imposed, the equilibrium level of employment is \_\_\_\_\_\_, the firms experience a surplus of \_\_\_\_\_\_, and the workers experience a surplus of \_\_\_\_\_\_. Thus, the minimum wage increases worker surplus by \_\_\_\_\_\_, but decreases firm surplus by \_\_\_\_\_\_.

**g**) Fill in the graph to the right to illustrate the situation in part (f), using different colors to indicate worker surplus, firm surplus, and deadweight loss.



**3.** Experimental / bonus problem. I own a gloop factory. My production function is given by  $Q = L^{1/4}K^{1/4}$ , where *L* and *K* are the amounts of labor and capital I employ, and *Q* is the amount of gloop I can produce, in tons. If I can sell each ton of gloop for \$160, and both labor and capital cost me \$1 per unit, what are my profit-maximizing values of *Q*, *L*, and *K*?